Marine Geophysical Data Analysis

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School of Geosciences Division of Geology and Geophysics

Class Notes available at USYD Copy Centre

UNIVERSITY OF SYDNEY SCHOOL OF GEOSCIENCES DIVISION OF GEOLOGY AND GEOPHYSICS

MARINE GEOPHYSICAL DATA ANALYSIS MARS 3001 (MS 3)

DYNAMICS OF OCEAN BASINS AND MARGINS

GEOP 3201, Part 1

R. Dietmar Müller

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DYNAMICS OF OCEAN BASINS AND MARGINS

MARS 3001 (MS 4) GEOP 3201, PART 2

R. Dietmar Müller

Lectures and Practicals

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Lectures: Monday, Tuesday, Thursday 9-10 am Practicals: Monday, Tuesday, Thursday 10.15 -1 pm

Edgeworth David Lab 5 (R 513)

Lecture Program

Weeks 8-11

Weeks 12-14

Assessment

The assessment for this course module is based on 75% coursework and 25% exam. The coursework assessment is based on practical exercises using Matlab and other Linux software. The examination will be 2 hours long and will be held during the examination period at the end of semester.

Bibliography

Blondel, P., and Murton, B.J., 1997, Handbook of seafloor sonar imagery: Chichester, John Wiley & Sons, 314 p.

Jones, E.J.W., 1999, Marine geophysics: Chichester; New York, Wiley, 466 p.

Emery, W.J., and Thomson, R.E., 1998. Data Analysis Methods in Physical Oceanography. Pergamon, 634 pp.

Komar, P.D., 1998. Beach Processes and Sedimentation. 2nd Edition. Prentice-Hall, 544 pp

Pugh, D.T., 1987. Tides, Surges, and Mean Sea Level. Wiley, 472 pp.

Robinson, I.S., 1985. Satellite Oceanography: An Introduction for Oceanographers and Remote Sensing Scientists. Chichester, 455 pp.

Lecture 1

Signal Processing:

n Examples Basic signal definitions and properties

The purpose of signal processing

- \Box Most signals in real life have one or more component **deterministic** components, while other components are **random or stochastic** components.
- most common form of a random component: **noise**
- **n Noise** may contaminate a signal in a variety of ways, e.g. **additive, multiplicative, or convolutional.**
- ⁿ Also the stochastics of noise can be extremely variable branch of applied statistics called **stochastic processes**
- General purpose of signal processing:
- ⁿ **To extract useful information from a signal**

Swath Mapping

SIMRAD EM12-D. **n** 2 adjoining sonars with 81 beams each. Effectively 152 beams due to overlapping.

Seafloor Backscatter Image

Example: deterministic information corrupted by additive noise

- \Box Signal processing aims to remove as much of the noise as possible, thus enhancing the information content of the signal –> **filtering**
- **n** There are other important reasons for understanding signal processing, which can be loosely grouped into four categories.
- **n 1. Description**
	- **n 2. Inference**
- **n 3. Prediction**
- ⁿ **4. Control**

Description and Inference

- ⁿ **Description** aims to identify the **principal components**, which constitute a given measured signal \blacksquare e.g. describe signals in terms of their frequency components, i.e. **spectral representation** of signals.
- ⁿ **Inference** refers to the process of **making plausible hypotheses about the underlying mechanisms which gave rise to the measured signals**:
- **Nhat can we learn about physical processes in the earth** from various geophysical signals?

Prediction and Control

ⁿ **Prediction** is the process of **making intelligent forecasts about future behaviors of a measured signal**.

ⁿ **Control** is the process of **initiating or modifying other signals based on the information extracted from one or more measured signals**. Control processes are very important in engineering and in designing particular sound sources for seismic experiments and exploration.

Examples of Signal Processing: 1) *Reflection Seismology*

- ⁿ **Seismic waves** are generated at the surface of the earth, for example at earthquakes or due to an artificial source.
- **n** They are directed downwards and may penetrate the sediments, crust, the mantle and core.

3D seismic data

■60 km N of Exmouth ■700 km² seismic grid

Seismic reflection structural analysis

Seismic data structural analysis Timing of fault activity

nTiming of fault activity correlate with well data

Nin age of fault Reactivation can be assessed by inversion structures or significant changes in dip θ though similar lithologies

E.g.: Purple fault has changed sense through time

The **recorded signals** contain information about the subsurface structure and lithology, but the seismic signal is a complicated mixture of a multitude of possible signal components including

- \Box 1. source signature \Box 1. source signature
- \Box 2. random noise due to scattering \Box stacking
- \Box 3. signal energy loss due to attenuation \Box true amplitude recovery
- **n** 4. interference from 50Hz power lines notch filtering
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-
- \blacksquare 7. distortion due to ray-pathing \blacksquare migration
- \blacksquare 8. reflectivity sequence of the earth's layers desired signal
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-
-
-
- **n** 5. corruption by ground-roll **muting & band pass filtering**
- **n** 6. multiple reflections \blacksquare 6. multiple reflections
	-
	-

The **first component above** (Earth's reflectivity sequence) is the information the geophysicist needs to infer structure and lithology. All the remaining components need to be removed.

Examples of Signal Processing: 2) *Satellite altimetry*

ⁿ **Satellite radar altimeters map the distance between themselves and the sea level.**

n By measuring the sea surface heights, the altimeter **maps the marine geoid** as well as **"noise" from oceanic currents, waves, and tides.**

What is "noise" and what is "data"?

- ⁿ What is noise to the geophysicist (currents, waves, tides) actually represents the physical oceanographer's data, whereas the oceanographer's noise (geoid anomalies from density anomalies in the earth) represents the geophysicist's data.
- ⁿ Difficulties in tracking of the satellite result in apparent DC- (very long-wavelength) shifts in the height of the geoid so that repeat cycles cannot be simply stacked to reduce the noise. The solution to this problem is differentiation of the geoid heights before stacking, and integration after stacking.
- **n** The integration is replaced by a frequency domain operation called Hilbert transforming, which allows us to compute gravity anomalies directly from the horizontal derivative of the geoid heights.

The altimetry records and processing operations include

- \Box 1. data over land and ice \Box editing
	-

 \Box 3. solid earth tides \Box - correction applied

 \Box 4. ionosphere and troposphere delay - correction applied

 \Box 5. sea surface height which reflects geoid - desired signal

- 6. low frequ. radial orbit error (unknown bias) differentiation (results
-
-
- in the horizontal gravity gradient) n 7. high frequency noise - stacking of repeat cycles **n** 8. vertical gravity anomalies - obtained from stacked horiz. grav. grad. data by Hilbert transformation
- The and result of several decades of collecting satellite altimetry data is a global marine geoid map, which has been used to compute a marine free-air gravity map
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- \Box 2. ocean tides \Box 2. ocean tides
	-
	-

Radar altimetry

Measuring the distance between the satellite and the sea surface by radar. These data are used to provide a geoid map. The geoid is an equipotential field, and describes the Earth's shape. A gravity map can be derived from the geoid data. Marine gravity data reveal many tectonic features of the ocean basins in detail.

radarsat.mov

Marine free-air gravity grid

Digital signals

ⁿ Discrete-time (digital) signals are represented by a variable with an **integer subscript**, such as *x^t*

- **n** The subscript *t* can be thought of as the sample number, but we will commonly take $-8 < t < 8$ even though the signal may have only a finite number of non-zero samples.
- **n** The time interval between samples is assumed to be a fixed constant called the **sampling interval** or **sampling rate**. The *t*=0 sample is called the time origin of the signal.

Analog signals

 \Box Continuous-time (analog) signals are represented in the usual functional notation given to functions of a real variable.

 $x(t) = cos(2 \mathbf{p} t/T)$

represents a continuous time cosine wave of frequency *1/T*